

# 6.0001 Recitation 2 - Spring 2020

February 14

## I. Administrivia

- PS2 due **Wednesday 2/19 @ 9PM**
- PS1 checkoff ongoing, due **2/24 @ 9PM**
- **Microquiz 1 Tuesday 2/18 in class**

## II. Representing numbers in python

- **int**: representation of whole numbers
- **float**: approximation of real numbers.
  - Do not use `==` to test equality among floats as it has unexpected behavior. For example, if we create a variable `x` and add 0.1 to 10 times, it doesn't "equal" 1. Instead, to test equality among two floats check if they are within some small epsilon.
  - Exhaustive enumeration isn't feasible when working with floats because the possibility space is infinite.

## III. Binary numbers

- Base 2 representation of a number
- Example: let's look at the number 38 in base 10 and 2
  - base 10:  $3 \cdot 10^1 + 8 \cdot 10^0$
  - base 2:  $1 \cdot 2^5 + 0 \cdot 2^4 + 0 \cdot 2^3 + 1 \cdot 2^2 + 1 \cdot 2^1 + 0 \cdot 2^0 = 100110$

## IV. Functions

- Motivation
  - Achieving abstraction / decomposition
  - A black box can be reused in the future
- Defining a function

```
def function_name(arg1, arg2, ..., argN):  
    #code  
    return something
```
- Calling a function

```
function_name(arg1, arg2, ..., argN)
```
- **print vs return**
  - **print**: for the user, just displays a value
  - **return**: for the computer and allows you to send values in a function back to other parts of your code

- Nothing in the function will be executed after a return statement is executed.
  - Python's default **return** is **None**. None in most cases will make you sad, so make sure you return something when it needs to be returned.
- {code example} Function that multiplies by 5
  1. What's printed?
  2. What's the value of `multiple_of_five`?
  3. If you delete the return statement, what will be the value of `multiple_of_five`?
- {code example} Incorrect argument types
  - If you alter the argument types one of two things will happen:
    - Silently give a very wrong answer
    - Throw an error in your code

## V. Scope

- Variable assignments are tracked in a **symbol table** or **stack frame** that maps variable names to their values
- When a function is **called**, a new stack frame is created.
- When the function returns, the stack frame pops off/is destroyed
- Last in, first out - just like a real-life stack!
- {code example}
  - The scope of "number" is within the function.
  - The scope of "two" is outside the function

## VII. Recursion

- {code example} Factorial is an example of recursion
- {code example} Fibonacci: is an example of recursion

## VII. Iteration

- **for** loops have a pre-specified range over which they run.
 

```
for i in range(x):
    ■ i goes from 0 to x-1
for char in s:
    ■ char is string that takes on the value of each character in s
```
- **while** loops have a condition that they check to determine if they should keep running. They run until the condition no longer evaluates to True.
 

```
counter = 0
while counter < 3:
```

```
print(counter)
counter += 1
```

- Converting between for and while loops
  - All for loops can be written as while loops
  - Not all while loops can be written as for loops
- **range**
  - take 1, 2, or 3 arguments
    - stop: the number the iteration stops at, NOT INCLUDED
    - start: the number the iteration starts at. INCLUDED
    - step: the number the value increases by each iteration (e.g. step size of 2 can be used to count just even numbers)
  - 1 argument: `range(stop)`
  - 2 arguments: `range(start, stop)`
  - 3 arguments: `range(start, stop, step)`
- **break** and **continue**
  - **break** terminates the innermost loop. The program jumps to code immediately after the loop
  - **continue** ends current iteration of the loop. The program jumps to the top of the loops and continues with the next iteration of the loop.

## VIII. GuessAndCheck Algorithms

- The process is exhaustive enumeration
  - guess a value
  - check if solution is correct
  - keep guessing until solution found or all values guessed
- {code example} Finding square roots (from an earlier lecture)
  - Approximate solutions (good enough solution)
    - to approximate the square root of a number  $x$ , guess a number  $g$ . If  $g*g$  is close enough to  $x$ , you're done, otherwise your next guess is the average of  $g$  and  $x/g$ 
      - Uses: while loops, comparing floats